Lecture 20 CH131 Summer 1

Wednesday, June 26, 2019

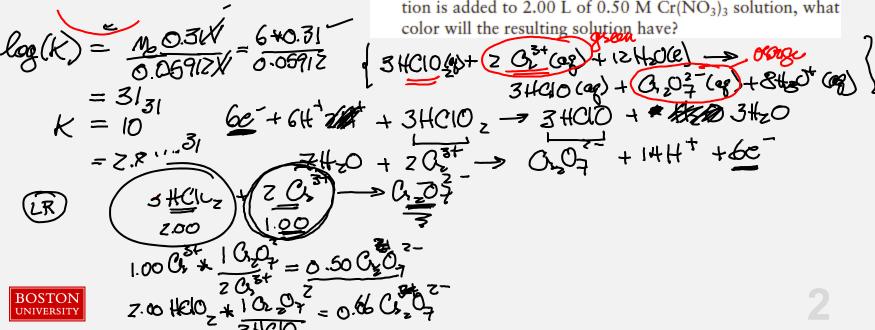
Complete practice problems



Electrochemistry practice problem: 17:35

$$K = 2.8 \times 10^{31}$$
, so orange

35. By using the half-cell potentials in Appendix E, calculate the equilibrium constant at 25°C for the reaction in problem 33. Dichromate ion (Cr₂O₇²⁻) is orange, and Cr³⁺ is light green in aqueous solution. If 2.00 L of 1.00 M HClO₂ solution is added to 2.00 L of 0.50 M Cr(NO₃)₃ solution, what color will the resulting solution have?



Electrochemistry practice problem: 17.39

$$K_a \approx [H_3 O^+]$$

 $[H_30^+] = 2.9 \times 10^{-3}$

$$Q = \frac{(x)^2}{(100)^2} = x$$

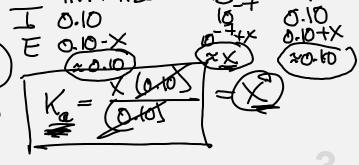
39. A galvanic cell consists of a Pt $|H_3O^+(1.00 \text{ M})|H_2(g)$ cathode connected to a Pt $|H_3O^+(aq)|H_2(g)$ anode in which the concentration of H_3O^+ is unknown but is kept constant by the action of a buffer consisting of a weak acid, HA(0.10 M), mixed with its conjugate base, $A^-(0.10 \text{ M})$. The measured cell potential is $E_{\text{cell}} = 0.150 \text{ V}$ at 25°C , with a hydrogen pressure of 1.00 atm at both electrodes. Calculate the pH in the buffer solution, and from it determine the K_a of the weak acid.

$$E = E' - \frac{0.0812V}{2} bg(Q) = 0.150V$$

$$E' = 0 \frac{150V}{0.059(2V)} = \log(X^{2})$$

$$\cos(Q) = -\frac{1}{0.059(2V)} = \log(X^{2})$$

$$\cos(Q) = 0.150 = 654$$



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Cathode = reduction

auste = oxidation

250

41. A galvanic cell is constructed in which the overall reaction is

$$\operatorname{Br}_2(\ell) + \operatorname{H}_2(g) + 2 \operatorname{H}_2\operatorname{O}(\ell) \longrightarrow 2 \operatorname{Br}^-(aq) + 2 \operatorname{H}_3\operatorname{O}^+(aq)$$

- (a) Calculate E° for this cell.
- (b) Silver ions are added until AgBr precipitates at the cathode and [Ag+] reaches 0.060 M. The cell potential is then measured to be 1.710 V 6H = 0 and = 1.0 atm.Calculate [Br] under thes
- (c) Calculate the solubility product constant $K_{\rm sp}$ for AgBr.

$$\begin{array}{c|c}
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(B_s) &= (.2 \times 0^{-11}) \\
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(A_g B_s C_s) &= A_g + C_{g} + B_s + C_{g} \\
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(0.060 & 1.2 \times 0^{-11}) \\
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