# CASEC 505 Mathematics for Economics Syllabus Spring 2025

# Course description

This is an introductory course in mathematics for economic analysis, aimed at MA students with background in both economics and mathematics. The course consists of three main parts. In the first, we introduce some concepts from linear algebra. The second part is devoted to multivariate calculus, and the last part treats constrained static optimization. If time permits, a fourth section will provide an introduction to differential equations and dynamic systems.

#### Instructor

Bjorn Persson
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Office 416B, 270 Bay State Road

Office hours: Mon 2.00 - 3.30 PM and Thu 10.00 - 11.30 AM

# Teaching fellow

John Fallon jfallon899@gmail.com

Office B23, 264 Bay state Road Office hours: Tue 3.30 - 5.30 PM

## Class meetings

MW 4.30 - 5.45 PM EPC 205 , 750 Comm Ave

#### Blackboard website

Use your Kerberos password to access the course site on Blackboard Learn. Lecture notes and assignments will be posted on the course website.

#### Recommended texts

Simon and Blume: Mathematics for Economists, W. W. Norton 1994.

Pemberton and Rau: *Mathematics for Economists*, Manchester University Press 2012. Copies of the textbooks have been ordered by the BU bookstore.

## Prerequisites

Students are expected to be comfortable with the material covered in chapters 2-5 and A2 in SB (one-variable calculus/optimization, logarithmic and exponential functions and their derivatives, and basic trigonometry).

#### Academic conduct

It is a student's responsibility to know and understand the provisions of the CAS Academic Conduct Code:

https://www.bu.edu/academics/policies/academic-conduct-code

The CAS Academic Conduct Code is strictly enforced, and all cases of suspected academic misconduct will be referred to the Dean's Office.

# Classroom conduct and participation

Students are expected to attend and actively participate in all lectures.

#### Examination

There will be two midterm exams and one final examination. Unless you have a documented health problem or family emergency, if you fail to take a test, your score for the missed test will be zero. There will be no make-up exams. Please observe that the final exam date cannot be changed.

#### Exam dates

Midterm 1: 2/24 Midterm 2: 4/7

Final exam:  $5/7 \cdot 3.00 - 5.00 \text{ PM}$  (tentative)

# Grading weights

Midterm 1: 30% Midterm 2: 30%

Final: 40%

#### Examination policy

Please note that the following rules apply in all exams:

- No phones, communication devices, or watches (of any type) may be accessible during an exam. Students must stash them in bags or leave them with the proctors before exams are distributed.
- BUIDs are checked at every exam.
- Bathroom brakes are not allowed.
- The course instructor reserves the right to replace individual written exams with oral exams.
- Students may be moved during exams to ensure academic integrity.

#### Exercises

A set of exercises will be distributed throughout the semester. These need not be handed in and will not count towards the grade. Solutions will be posted on the course website.

#### Course outline

Below is a preliminary list of topics. Some deviations from the actual schedule may be necessary as the class progresses. Students are responsible for attending classes and learning of any changes in the schedule. The readings refer to the text by Simon and Blume.

# I. Linear algebra

Linear systems

Matrix algebra

Linear independence and basis

Vector spaces

Linear transformations

The determinant function

Parametric expressions

Inner product and norm

Convexity

Readings: 7.1-4 8.1-4, 9, 10.1-6, 11

## II. Calculus

Open sets, closed sets, compact sets

Calculus (gradients, total derivatives, directional derivatives)

Implicit function theorem

Readings: 12, 13, 14, 15.1-3

## III. Optimization

Quadratic forms

Unconstrained optimization

Constrained optimization

Value functions

Envelope theorems

Comparative statics

Readings: 16.1-2, 17.1-4, 18.1-6, 19.1-5

## IV. Dynamic analysis

First-order ordinary differential equations

Second-order ordinary differential equations

Eigenvalues and eigenvectors

Systems of differential equations

Stability

Phase diagrams and phase portraits

Linearization of nonlinear ordinary differential equations

Readings: A4, 23.1, 24.1-5, 25.2-5, 26.1-3, 27.1-5, 28.1-2